COMP 605: Introduction to Parallel Computing Homework 4: Shared Memory Programming: OpenMP

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# HW #4, P1: Using Numerical Integration to Estimate

 $\pi$ 





 $\pi = \frac{\textit{Circumference of a Circle}}{\textit{Diameter of a Circle}}$ 

Image Source: http://www.mathsisfun.com/numbers/pi.html

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## HW #4, P1: Using Numerical Integration to Estimate

 $\pi$ 

- Integral representation for  $\pi$  $\int_0^1 dx \frac{4}{1+x^2} = pi$
- Discretize the problem:  $\Delta = 1/N : step = 1/N_{areas}$   $x_i = (i + 0.5)\Delta(i = 0, \dots, N_{areas} - 1)$   $\sum_{i=0}^{N-1} \frac{4}{1+x_i^2}\Delta \cong \pi$



 $\pi$  Formulae: http://en.wikipedia.org/wiki/Approximations\_of\_pi Image: http://cacs.usc.edu/education/cs596/mpi-pi.pdf

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## HW #4, P1: Using Numerical Integration to Estimate

#### $\pi$

```
#include <stdio.h>
#define NAREA 1000000
void main() {
    int i; double step,x,sum=0.0,pi;
    step = 1.0/NAREA;
    for (i=0; i<NAREA; i++) {</pre>
        x = (i+0.5)*step;
        sum += 4.0/(1.0+x*x):
     }
    pi = sum*step;
    printf(PI = \%f \ printf();
}
```

### HW #4, P1: Instructions

- Write an OpenMP program that uses numerical integration to estimate  $\pi$ .
- Use OpenMP directives for the parallelism.
- You may write your own code, use Pacheco example (e.g. *mpi\_trap4.c*), or a program found online.
- See the Trap examples discussed in Pachecho 2011, Chs 3, 4, and 5.
- Find a reference value for  $\pi$  to the limits of a double precision number.
- Estimate  $\pi$  to the limits of a double precision number.
- Calculate the value for  $\pi$  as a function of the number or areas used and number of threads.
- Calculate the error of your estimate:  $Err = \pi_{ref} \pi_{measured}$
- Use double precision for calculations and outputs.

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 HW #4, P1:
 Using Numerical Integration to Estimate  $\pi$ 

## HW #4, P1: Instructions (cont.)

- Parse all key variables from the command line.
- Run the jobs using the batch queue
- Thread scaling: Vary the number of threads #Thds used:
  - Where  $\# Thds = [1, 2, ..., Thd_{max}].$
  - What is the max number you can use? Why?
  - Use binding to control the number of threads per core
- ProbSize Scaling:
  - Choose  $N_{areas}$ , such that  $N_{areas}$  is evenly divisible by #Thds.
  - Choose a few values for  $N_{areas}$  that allow scaling from  $10^3$  to  $> 10^7$  or  $10^8$ .
- Time the job runs, calculate run time statistics. Are the timings reproducible?

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## HW #4, P2: Calculating Prime Numbers

Develop an OpenMP version based on the Sieve of Eratosthenes approach to calculate all the prime numbers below some number N:

- Run jobs using the batch queue.
- Determine  $N = [1, 2, 3, .., N_{max}]$  for tuckoo.
- Vary the number of threads
- Use thread binding for better performance
- Time the job runs



Img Src: http://mathworld.wolfram.com/SieveofEratosthenes.html

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#### HW #4, P1: Instructions (cont.)

- Parse all key variables from the command line.
- Use OpenMP directives for the parallelism.
- Run the jobs using the batch queue
- Thread scaling: Vary the number of threads #Thds used:
  - Where  $\#Thds = [1, 2, \dots, Thd_{max}]$ .
  - What is the max number you can use? Why?
  - Use binding to control the number of threads per core
- ProbSize Scaling:
  - Choose N, such that N is evenly divisible by #Thds.
  - Choose a few values for N that allows scaling from  $10^3 \mbox{ to } > 10^7 \mbox{ or } 10^8.$
- Time the job runs, calculate run time statistics. Are the timings reproducible?

## What to Report/Turn in for both problems:

- Create the homework directory USER/hw/hw4 with correct access permissions.
- Short lab report with comments, figures and table labels.
- Explain your results for Thread and ProbSize scaling.
- Include relevant tables of your test data
- Evidence you ran your jobs using the batch queue (short/small job); examples of batch scripts
- Plot the runtime as a function of the number of threads or probsize.
- A copy of your code (single spaced, two sided, two column format is OK).
- Reference key sources of information in your report and code where applicable (Pacheco, lectures, Web, ).